

Constraining Thawing Gravity with DES Y3 in the DESI Era

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Based on the work of A.S. Chudaykin and N.S. Nedelko

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Cosmology Before DESI

- 1 Λ CDM has been the standard model in cosmology for over 20 years
- 2 Over the last decade a number of tensions appeared as observational precision had increased

H_0 Tension

- 1 $H^2 = H_0^2(\Omega_m(1+z)^3 + \Omega_{rad}(1+z)^4 + \Omega_{DE})$
- 2 Main source: Type Ia SNE
- 3 $2 - 6\sigma$ difference in M_{SN} calibration from local Cepheids and from CMB+BAO
- 4 Cannot be resolved by purely late-type dynamic Dark Energy

S_8 Tension

- 1 S_8 describes matter density fluctuation amplitude as constrained by lensing data
- 2 $S_8 = \sigma_8 \left(\frac{\Omega_m}{0.3}\right)^\alpha$, $\alpha \approx 0.25..0.5$ for different lensing sources (CMB/LSS)
- 3 1 – 3 σ tension between various datasets

DESI and Dark Energy

- 1 First results published in late 2024 and early 2025
- 2 Claimed strong preference for deviation from the cosmological constant DE model (but not in the direction Cepheid-SNe would want)
- 3 Exhibits tensions with both CMB and LSS
- 4 Analysis is usually performed for a simple $w_{DE} = w_0 + w_a(1 - a)$ ansatz

Thawing Gravity (Ye et al. 2407.15832, 2411.11743)

TG is an *effective* Horndeski model with an auxiliary field ϕ :

$$\mathcal{S}_{TG} = \int dx^4 \sqrt{-g} \left[\frac{M_p^2}{2} f(\phi) R + X - V(\phi) \right] + \mathcal{S}_m[g_{\mu\nu}], \quad (1)$$

$$X \equiv -\frac{1}{2} g^{\mu\nu} \nabla_\mu \phi \nabla_\nu \phi, \quad M_p^2 = (8\pi G_N)^{-1}$$

with the corresponding field equations

$$fG_{\mu\nu} + \square f g_{\mu\nu} - \nabla_\mu \nabla_\nu f = \frac{1}{M_p^2} \left[T_{\mu\nu}^{(\phi)} + T_{\mu\nu}^{(m)} \right], \quad (2)$$

$$-\square \phi = \frac{M_p^2}{2} f' R - V', \quad (3)$$

where $T_{\mu\nu}^{(\phi)} = \phi_{(\mu} \phi_{\nu)} + g_{\mu\nu} [X - V]$ and $T_{\mu\nu}^{(m)}$ is the matter component

Thawing Gravity

From (3) the scalar field ends up with an effective potential:

$$V_{\text{eff}} = \frac{M_p^2}{2} Rf(\phi) - V(\phi). \quad (4)$$

There are no significant constraints on the shape of $V(\phi)$ and $f(\phi)$ so we'll use a simple exponential V and a quadratic f :

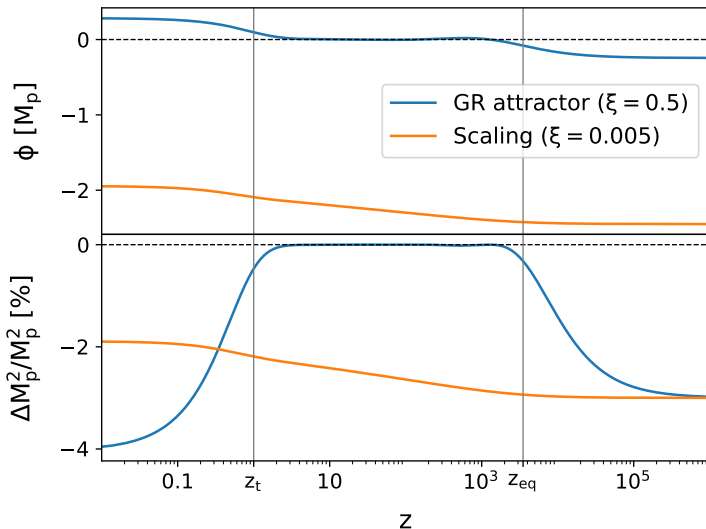
$$V(\phi) = V_0 \exp(-\lambda\phi/M_p), \quad f(\phi) = 1 - \xi(\phi/M_p)^2$$

In an FLRW background the field equations read

$$3M_p^2 H^2 [1 - \xi(\phi/M_p)^2] - 6\xi\phi\dot{\phi}H = \frac{1}{2}\dot{\phi}^2 + V(\phi) + \rho_m, \quad (5)$$

$$\ddot{\phi} + 3H\dot{\phi} + V_\phi + 6 \left(2 + \frac{\dot{H}}{H^2} \right) \xi H^2 \phi = 0. \quad (6)$$

Thawing Gravity behavior (from Ye 2411.11743)



Simple case: GR Attractor

- 1 Achieved for $\xi > 3/16$
- 2 ϕ is frozen at some ϕ_{ini} during RD, oscillates around 0 during MD effectively recovering GR
- 3 Produces an EDE-like effect between z_{eq} and z_{rec} , then acts as a weakly dynamic DE after $z_t \sim 1$
- 4 Just 3 new parameters: ξ, λ, V_0 (and $\frac{V_0}{3H_0^2}$ replaces Ω_Λ , so really just 2 more parameters than Λ CDM)
- 5 ξ, λ are sampled, V_0 is produced by shooting to match H_0

\mathcal{H} -EFTCAMB

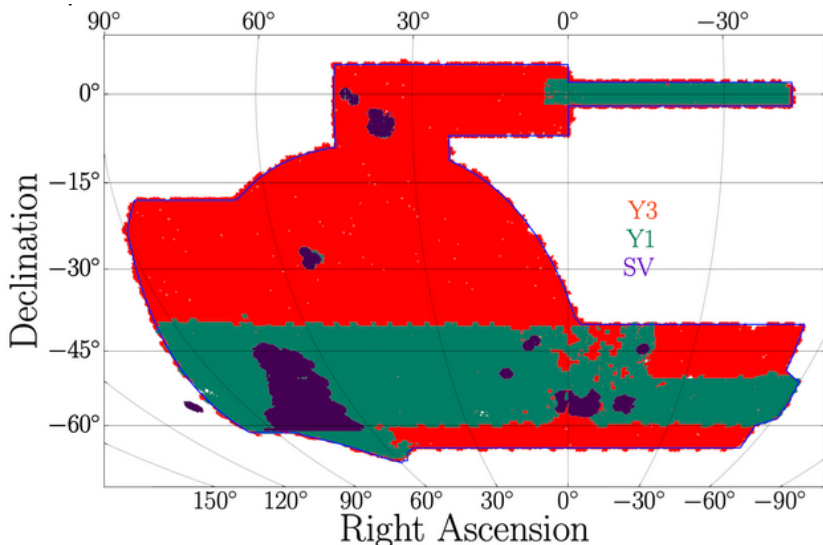


- 1 EFTCAMB is an extension of CAMB (Code for Anisotropies in the Microwave Background)
- 2 Allows for modeling linear perturbations in various modified gravity/generic DE models
- 3 \mathcal{H} -EFTCAMB introduced several ways of implementing Horndeski-type models

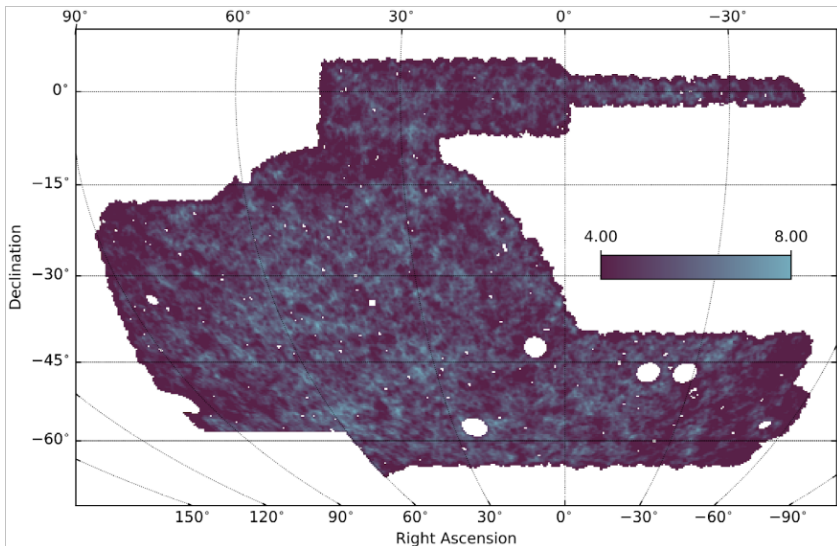
DES Y3

- 1 Results from the first three years of the Dark Energy Survey collaboration (*not to be confused with the Dark Energy Spectroscopic Instrument (DESI) collaboration*)
- 2 10^8 galaxies mapped in the southern hemisphere
- 3 A LOT of data products handled by a complex "in-house" suite called CosmoSIS
- 4 We are interested in the $3 \times 2pt$ analysis (cross-correlations between weak lensing observables and galaxy clustering)

DES Y3 coverage map (2011.03407)



DES Y3 source n_{eff} ($gal/arcmin^2$) map (2011.03408)



CosmoSIS and Cobaya

- 1 \mathcal{H} -EFTCAMB is easily interfaced with the Cobaya sampling/analysis suite (with a separate module for shooting at V_0)
- 2 CosmoSIS is *not so easily* interfaced with Cobaya using the `cosmosis2cobaya` package
- 3 Additional scale cuts (removing non-linear scales) are applied to CosmoSIS data when working in modified gravity



CMB, BAO, SN

- 1 Standard Planck PR3 primary CMB spectra and PR4 lensing
- 2 BAO measurements from DESI DR2
- 3 Uncalibrated Type Ia SNe from the Pantheon+ catalog

Nikolay Nikolayevich Govorun ate my homework

All necessary measures are currently being taken to restore the operation of /lustre/projects.

We apologize for any inconvenience caused.

HybriLIT Team



Approximate results so far

- 1 Without DES: $\lambda \sim 1.5, \xi \sim 0.5, \frac{V_0}{3H_0^2} \sim 0.7$
- 2 Ω_m has a bimodal distribution (and therefore H_0 and S_8 do too), DES seems to dampen one of the peaks
- 3 Standard MCMC is ill-fit for the task, switching to nested sampling...

Thank you for your
attention!

Scaling solution

In general, the behavior of ϕ during RD and MD (where V and V_ϕ are both $\ll H^2$) can be approximated as

$$\phi \simeq \begin{cases} \phi_{\text{ini}} & \text{RD,} \\ \phi_{\text{ini}} \exp \left[\frac{-3 \pm \sqrt{9 - 48\xi}}{4} (N - N_i) \right] & \text{MD,} \end{cases} \quad (7)$$

where $N = \ln a/a_0$

For $\xi > 3/16$ the MD part of the solution is an oscillator (this is the GR attractor), while for $\xi < 3/16$ it's a (slowly) decaying mode with $\phi \propto a^{-\gamma}$, $0 < \gamma < 3/4$