

Z production via Vector Boson Fusion

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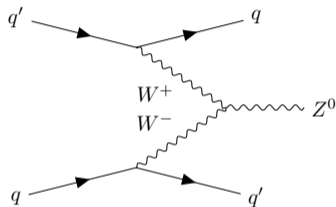
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Motivation

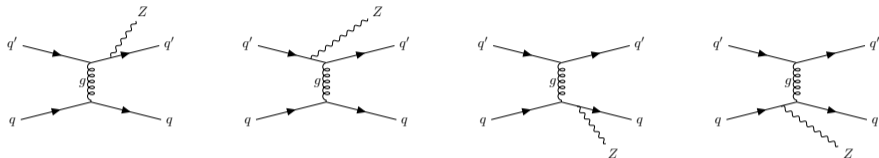
We consider the production of the Z^0 boson in the processes $qq' \rightarrow Z^0 qq'$. The non-abelian nature of weak gauge bosons constitutes an **important feature of the Electroweak theory**.



- We discuss if one can **identify the three-boson interaction** (three-boson coupling vertex) **in a direct experimental measurement**
- We inspect if it can be done through comparing two different partonic subprocesses leading to the production of Z^0 boson in a quark-quark scattering, using splitting approximation approach.

The Splitting Framework

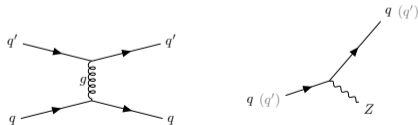
The first of the considered processes is mediated by a gluon exchange.



When we impose **kinematic cuts** on the emitted Z^0 boson $p_T(Z) > p_{T,min}$ the diagrams **do not interfere**. The process can then be factorized into quark-quark scattering $qq' \rightarrow qq'$ followed (or preceded) by a quark splitting $q \rightarrow qZ^0$ or $q' \rightarrow q'Z^0$:

The cross sections $qq' \rightarrow qq'Z$ can be written as

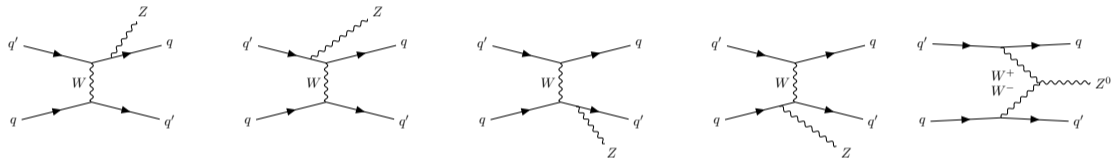
$$d\sigma \simeq \sum_{\ell=4} d\hat{\sigma}_{qq' \rightarrow qq'}^{(g)} \otimes \mathcal{P}_{q\ell \rightarrow Z}(z, p_T; s)$$



The $p_{T,min}$ can be determined from a comparison between **direct calculation** (including interference) and the sum of four separate **'splitting' contributions**.

Splitting in VBF

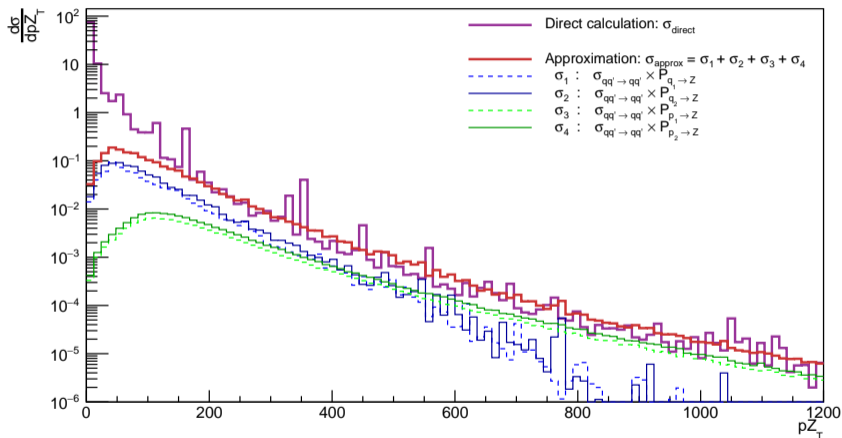
The second process is mediated by W boson exchange. Here, in addition to 4 diagrams a diagram containing the triple gauge-boson coupling appears.



We assume that one can find the kinematic region ($p_T > p_{T,\min}$) where the contributions of 4 diagrams except three-boson vertex can be described with the splitting approximation. Comparing the direct calculation (based on five Feynman diagrams with their interferences) and the sum of four splitting contributions we inspect the possibility of extracting the three-boson gauge vertex contribution.

Valid splitting approximation p_T region

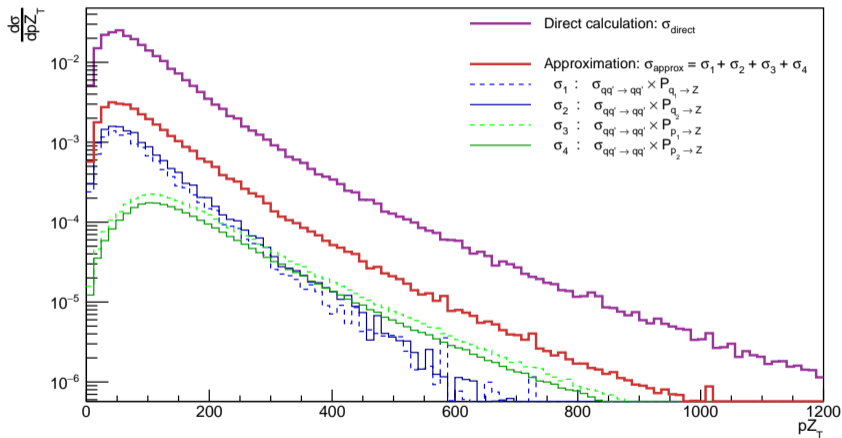
Z production in $q(q_1) + q'(q_2) \rightarrow Z(p_Z) + q(p_1) + q'(p_2)$, G exchange



The splitting approach reproduces the direct calculation in $p_T(Z) > 500\text{GeV}$

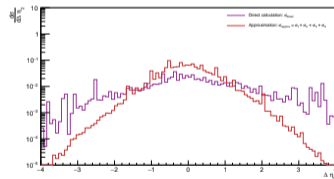
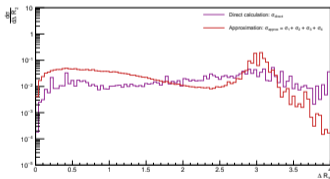
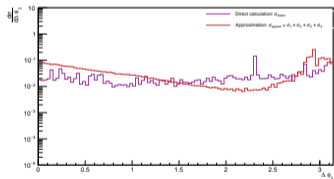
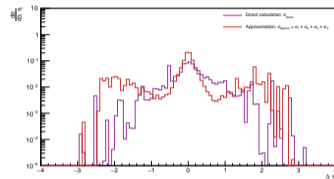
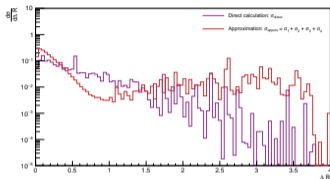
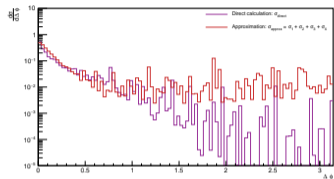
Three-Boson Vertex (WWZ) Contribution

Z production in $q(q_1) + q'(q_2) \rightarrow Z(p_Z) + q(p_1) + q'(p_2)$, W exchange



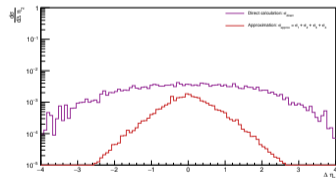
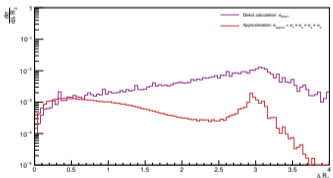
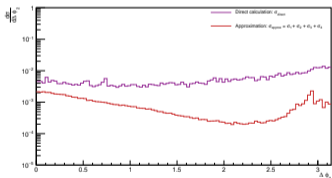
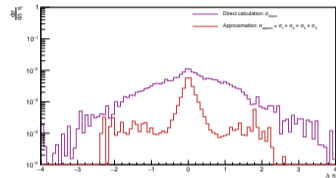
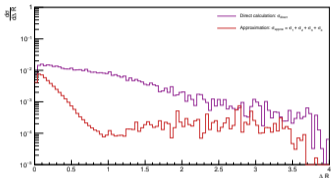
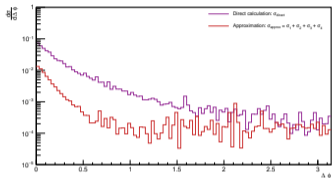
The contribution of the WWZ vertex can be estimated as $\sigma_{\text{full}} - \sigma_{\text{frag}}$.

Angular Distributions



$$p_T(Z) > 500\text{GeV}$$

Angular Distributions in VBF











$p_T(Z) > 500\text{GeV}$

- Comparing two different partonic subprocesses allows us to estimate the role of the three-boson coupling vertex.
- We demonstrate that the three-boson interaction can be extracted in an experimental measurement within the considered kinematic region.
- The splitting approximation approach reproduces the exact calculation in the high- p_T region

$$p_T > 500 \text{ GeV}$$

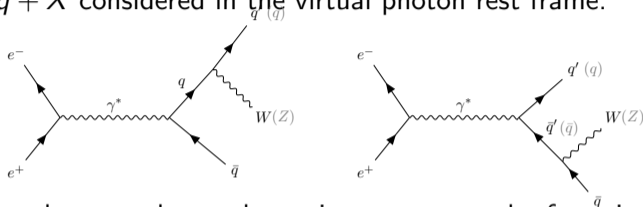
Thanks for Your Attention

References

-  A.G. Bagdatova, S.P. Baranov, Modern Physics Letters A, Vol. 40, No. 05n06, 2450230 (2025), DOI: 10.1142/S0217732324502304
-  J.R. Christiansen, T. Sjöstrand, JHEP 04 (2014) 115
-  G.L. Kane, W.W. Repko, W.B. Rolnick, Phys. Lett. B **148**, (1984) 367 .
-  S. Dawson, Nucl. Phys. B **249**, (1985) 42 .
-  J. Chen, T. Han, B. Tweedie, JHEP **11**, (2017) 093 .
-  C.W. Bauer, N. Ferland, B.R. Webber, JHEP **08**, (2017) 036 .
-  B. Fomal, A.V. Manohar, W.J. Waalewijn, JHEP **05**, (2018) 106 .
-  T. Han, Y. Ma, K. Xie, Phys. Rev. D **103**, (2021) L031301 .

Splitting function $q \rightarrow qX$: Derivation

To calculate the quark to X splitting function, X is W or Z boson, we start with the process $e^+e^- \rightarrow \gamma^* \rightarrow \bar{q} + q + X$ considered in the virtual photon rest frame.



When the input energy becomes large, the entire process can be factorized into the 'prequel' process (before the quark splitting $e^+e^- \rightarrow \gamma^* \rightarrow \bar{q} + q$) and splitting.

$$d\mathcal{P}(q \rightarrow Xq) = \frac{d\sigma(ee \rightarrow Wq\bar{q})}{d\sigma(ee \rightarrow q\bar{q})} = \frac{1}{(2\pi)^3} \frac{1}{4\lambda^{1/2}(s, p^{*2}, m_q^2)} \frac{|\mathcal{M}(\gamma^* \rightarrow Xq\bar{q})|^2}{|\mathcal{M}(\gamma^* \rightarrow q\bar{q})|^2} \times ds_1 ds_2 d\phi d\psi d\cos\theta. \quad (1)$$

Eq.(1) can be reduced to the conventional splitting function:

$$\mathcal{P}_{q/W}(z) = \int \mathcal{P}(q^* \rightarrow W/Zq) \delta(z - p_W^+/p^{*+}) \times ds_1 ds_2 d\phi d\psi d\cos\theta \quad (2)$$

Splitting function $q \rightarrow qX$: Results

In the high-energy limit it reproduces the Weizsäcker–Williams behavior

$$\mathcal{P}_{q \rightarrow qZ}(z, s) = \frac{\alpha_{\text{eff}}}{2\pi} \left[\frac{1 + (1-z)^2}{z} \ln \frac{s}{4m_W^2} \right], \text{ for } Z \text{ bosons with}$$

$$\alpha_{\text{eff}} = \frac{\alpha}{\sin^2 \theta_W \cos^2 \theta_W} \left[(e_q \sin^2 \theta_W)^2 + (T_q^3 - e_q \sin^2 \theta_W)^2 \right], \quad T_q^3 = \pm \frac{1}{2} \text{ for u/d-type quarks.}$$

